

1 **Experts correctly describe demography associated with historical decline of the endangered**  
2 **Indiana bat, but not recent period of stationarity**

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## 21 ABSTRACT

22 Demographic characteristics of bats are often insufficiently described for modeling populations.  
23 In data poor situations, experts are often relied upon for characterizing ecological systems. In  
24 concert with the development of a matrix model describing Indiana bat (*Myotis sodalis*)  
25 demography, we elicited estimates for parameterizing this model from 12 experts. We conducted  
26 this elicitation in two stages, requesting expert values for 12 demographic rates. These rates were  
27 adult and juvenile seasonal (winter, summer, fall) survival rates, pup survival in fall, and  
28 propensity and success at breeding. Experts were most in agreement about adult fall survival (3%  
29 Coefficient of Variation) and least in agreement about propensity of juveniles to breed (37%  
30 CV). The experts showed greater concordance for adult ( $\bar{x}_{CV-ad} = 6.2\%$ ) than for juvenile  
31 parameters ( $\bar{x}_{CV-juv} = 16.4\%$ ), and slightly more agreement for survival ( $\bar{x}_{CV-surv} = 9.8\%$ )  
32 compared to reproductive rates ( $\bar{x}_{CV-Repr} = 15.1\%$ ). However, survival and reproduction were  
33 negatively and positively biased, respectively, relative to a stationary dynamic. Despite the  
34 species exhibiting near stationary dynamics for two decades prior to the onset of a potential  
35 extinction-causing agent, white-nose syndrome, expert estimates indicated a population decline  
36 of -11% per year (95% CI = -2%, -20%); quasi-extinction was predicted within a century ( $\bar{x} = 61$   
37 years to QE, range = 32, 97) by 10 of the 12 experts. Were we to use these expert estimates in  
38 our modeling efforts, we would have errantly trained our models to a rapidly declining  
39 demography asymptomatic of recent demographic behavior. While experts are sometimes the  
40 only source of information, a clear understanding of the temporal and spatial context of the  
41 information being elicited is necessary to guard against wayward predictions.

42 *Key words:* Anchoring, Expert elicitation, *Myotis sodalis*, Population models

43 **Introduction.**

44 Parameters describing the demography of many bats species are poorly known. For the  
45 endangered Indiana bat (*Myotis sodalis*) in eastern North America, this is no different despite  
46 this species being the subject of much concern and study (e.g., Kurta and Kennedy 2002). Age-  
47 specific survival rates are known largely from one study conducted in the mid-1970s (Humphrey  
48 and Cope 1977), with the data recently re-analyzed (Boyles et al. 2007). Parameters describing  
49 reproduction are even less well described (e.g., Mumford and Calvert 1960, Humphrey et al.  
50 1977). Much inference about the demography of Indiana bats is therefore drawn from related  
51 Myotids such as the little brown (*M. lucifugus*), northern long-eared (*M. septentrionalis*), and  
52 southeastern myotis (*M. austroriparius*) bats.

53 Recently, the fast-spreading disease white-nose syndrome has caused considerable  
54 concern for the Indiana bat and sympatric hibernating bat species of eastern North America  
55 because of its potential for acting as an agent of extinction (Buchen 2010) – the loss of 18,662  
56 Indiana bats from white-nose syndrome in 2008 alone represented a loss of an estimated ~4% of  
57 the range-wide population. Thogmartin et al. (2012a) suggested as much as 1/3, or >100,000  
58 individuals, of the Indiana bat population was at high risk to infection, and no populations were  
59 sufficiently isolated as to be without risk. This novel threat increases the urgency for  
60 understanding the population dynamics of this endangered species. Unfortunately, the paucity of  
61 demographic information for the Indiana bat hampers development of models capable of  
62 characterizing the risk posed by this novel disease.

63 In response, the U.S. Fish and Wildlife Service convened species experts and endangered  
64 species biologists to identify key demographic features determining the population dynamics of  
65 this species (Szymanski et al. 2009). The form of the resulting model was a stage-based matrix

66 demographic population model (Lefkovitch 1965, Caswell 2001; Fig. 1), details of which are  
67 described in Thogmartin et al. (2013). Parameters for this model were envisioned to come from  
68 experts. Expert opinion is often used to characterize and parameterize ecological models when  
69 other data are scarce or unavailable (Johnson and Gillingham 2004, O'Neill et al. 2008). Our  
70 purpose here is to provide sufficient detail for understanding the scope of species demography  
71 expected to be parameterized by each expert, not to describe the demographic model per se, for  
72 which details will be provided elsewhere.

73         The demographic parameters determining the fate of individuals were represented as  
74 transition probabilities describing the likelihood of an individual passing from one class to  
75 another. The two basic vital rates were survival of individuals from one time step to another and  
76 reproduction events from which new individuals may be formed. The matrix model focused on  
77 adult and juvenile females in winter when long-term population surveys for this species are  
78 conducted (Clawson 2002, Tuttle 2003) and when white-nose syndrome is expected to impact  
79 the species most. Over the rest of the year, the population was divided into reproductive and non-  
80 reproductive segments. In the summer, another stage was added for the offspring, Pups (P),  
81 assumed to be born to a gender ratio of 0.50. Juvenile females were defined as females born in  
82 the previous summer. Transitions from winter to summer included overwinter survival ( $\phi^W$ ) and  
83 propensity to reproduce ( $p$ ), and from summer to winter included summer survival ( $\phi^S$ ) and fall  
84 survival ( $\phi^F$ ). The reproductive transitions included summer survival of reproductive females  
85 ( $\phi^S$ ), reproductive rates ( $b$ ), and fall pup survival ( $\phi_{FP}^F$ ) (Table 1).

86         The objective of this model was to allow U.S. Fish and Wildlife Service biologists to  
87 predict potential consequences of white-nose syndrome. Because there was little direct  
88 information for parameterizing the model once it was built, the opinion of experts was elicited to

89 characterize species demographic rates. Our objective is to describe results of this elicitation  
90 process, describing for the first time parameters necessary for a functioning 12-parameter model  
91 of Indiana bat demography. We compare these demographic rates to expectations derived from  
92 life history considerations as well as historical time series of counts.

### 93 **Methods.**

94 We conducted an iterative two-stage elicitation from experts (Hoffman et al. 1995,  
95 Kadane and Wolfson 1998, O'Hagan 1998, Ayyub 2001). The first stage involved eliciting  
96 parameter estimates in winter 2009–2010 from experts primarily affiliated with the initial  
97 structured decision-making workshop. These experts were people with a good knowledge of the  
98 species and general properties of population ecology and were able to express their opinions in a  
99 simple probabilistic manner. Experts were affiliated with the U.S. Fish and Wildlife Service ( $n =$   
100 4) and U.S. Army Corps of Engineers ( $n = 1$ ). After obtaining their initial independent estimates,  
101 we facilitated a discussion among the experts discussing how their estimates translated into  
102 annual rates of survival and reproduction. The experts were then allowed to alter their estimates.  
103 Once estimates from the initial set of experts were in hand, parameters for the demographic  
104 model were elicited from an expanded set of experts in summer 2010 (Appendix A). This second  
105 set of experts were provided the initial set of estimates upon which to reflect. Parameter  
106 estimates were received from seven new experts from academia ( $n = 3$ ), U.S. Geological Survey  
107 ( $n = 2$ ), U.S. Forest Service ( $n = 1$ ), and the Indiana Department of Natural Resources ( $n = 1$ , the  
108 state where Indiana bats are most abundant). These estimates were combined with those from the  
109 previously gathered set (Appendix B). Two of the seven new experts simply agreed with the  
110 results from the previous group; for these two experts, we assigned the mean, maximum, and  
111 minimum of the initial set of estimates. One expert agreed with the previously defined estimates

112 except for one parameter, juvenile winter survival, and was therefore similarly assigned  
113 estimates where none were explicitly given. The other four experts assigned, in some cases, new  
114 maximal or minimal values for parameters; to arrive at a reasonable value for the mean  
115 parameter, in such cases we assigned the midpoint between the former opposite bound and the  
116 new bound. For instance, if the expert assigned a new maximum, we found the midpoint between  
117 the new maximum and the old minimum to identify the ‘mean’. In two cases, when the expert  
118 provided only annual demographic estimates rather than seasonal ones, we used an optimization  
119 algorithm (Microsoft Solver) to identify the approximate seasonal values that one could possess  
120 given only an annual estimate. Upon receiving the second set of estimates, we provided the  
121 experts an opportunity to reflect upon their estimates, facilitated dialogue among them, and then  
122 allowed them to modify their estimates.

123         To understand how well these expert estimates comported with our understanding of the  
124 life history of this species, we calculated annual survival rates (i.e.,  $\varphi_{\text{Winter}} \times \varphi_{\text{Summer}} \times \varphi_{\text{Fall}}$ ) and  
125 then calculated the proportion of individuals alive at different year intervals. This proportion  
126 alive was plotted against years, an exponential function fitted to the expert-derived estimated  
127 proportion alive, and then compared to literature-derived estimates of lifespan. Laval and Laval  
128 (1980) captured one Indiana bat 20 years after being banded as an adult. Paradiso and Greenhall  
129 (1967) reported a longevity record for Indiana bats of at least 13 years 10 months (based on time  
130 between banding and recovery of a male bat). Definitions of maximal life span indicate this is  
131 the age of the oldest 1% of a population, others identify this estimate as the age of the oldest 10%  
132 of a population, and still others indicate it is the maximum life span somatically possible (i.e., the  
133 Hayflick limit) for the species (Gavrilov and Gavrilova 1991). If these definitions were used with  
134 respect to the Laval and Laval (1980) life span, we should expect expert estimates to yield  $\geq 1\%$

135 of individuals surviving to year 20. Alternatively, if the expert estimates comport with the 14-  
 136 year life span, we should expect  $\geq 1\%$  of individuals to survive to this commonly cited age. We  
 137 also calculated mean life span for each of the expert estimates according to Brownie et al.  
 138 (1985), sensu Sendor and Simon (2003):

$$139 \quad MLS = (1 - \phi_{Juv}) \frac{-1}{\ln(\phi_{Juv})} + \phi_{Juv} \frac{-1}{\ln(\phi_{Ad})}$$

140 Caswell (2001) provided a matrix approach to life span estimation that when applied to our  
 141 matrices provided similar results as Brownie et al. (1985).

## 142 **Results.**

143 The experts provided insight into 12 demographic parameter estimates (Table 2, Fig. 2).  
 144 They were most in agreement with adult fall survival (3% Coefficient of Variation) and least in  
 145 agreement with the propensity of juveniles to breed (37% CV). The experts showed more  
 146 concordance for adult parameters ( $\bar{x}_{CV-ad} = 6.2\%$ ) than for juvenile parameters ( $\bar{x}_{CV-juv} =$   
 147 16.4%), and slightly more agreement for survival rates ( $\bar{x}_{CV-Surv} = 9.8\%$ ) compared to  
 148 reproductive rates ( $\bar{x}_{CV-Repr} = 15.1\%$ ).

149 The experts typically suggested at least some values credibly below those necessary for  
 150 stationary dynamics ( $\bar{x}_{below} = 2.6$  parameters,  $\bar{x}_{above} = 0.5$  parameters) (Table 2). The expert  
 151 estimates for adult summer and adult fall survival, with 8 and 9 experts, respectively, were  
 152 negatively biased, credibly differing from the set of parameters yielding a stationary dynamic  
 153 (Fig. 4). Assuming the form of our model was correct, experts were positively biased relative to  
 154 stationary conditions for both adult and juvenile reproduction.

155 Expert survival estimates, when incorporated in the model, yielded a mean lifespan of  
156 ~2.9 years (range = 1.9–4.2 years) and maximal life spans of 13 years (the oldest 1% cohort) or  
157 ~5 years (the oldest 10% cohort) (Fig. 3). Fewer than 15 out of 10,000 individuals were  
158 predicted to remain alive at the maximal life span, 20 years, observed by Laval and Laval (1980).  
159 Comparatively, assuming stationary demographic conditions, we predicted considerably different  
160 maximal life spans, ~24 years for the oldest 1% cohort and ~12 years for the oldest 10% cohort.

161 The expert estimates yielded finite rates of change ranging from 0.78 to 0.99 ( $\bar{x}_\lambda = 0.89$   
162 [95% CI = 0.80, 0.98]) which indicated the experts believed the species to be declining in  
163 abundance at a rate of -11% per year (95% CI = -2%, -20%). Given a starting population of  
164 500,000 bats, 10 of 12 experts predicted species quasi-extinction (<250 remaining females)  
165 within a century (median = 61 years to QE, range = 32, 97) (Fig. 5). The average population size  
166 after a century was ~25,000 bats, a predicted decline of 95%. Population estimates from trend  
167 analyses (Thogmartin et al. 2012b) place the mean population size at no less than 250,000 and  
168 more likely ~400,000. Applying the expert estimates to the lowest expected population size,  
169 250,000 bats, again 10 of 12 experts predicted quasi-extinction within a century (median = 56  
170 years to QE, range = 29, 88).

171 We fitted expert trajectories by eye to the observed 1982–2009 time series of total  
172 hibernacula counts (as curated by A. King, U.S. Fish and Wildlife Service). Select expert  
173 estimates were able to describe the period of decline between 1982 and 2002, but not the  
174 apparent increase in bat numbers thereafter (Fig. 5, inset). The expert estimates describing the  
175 periods of decline were, sequentially, experts 8, 7, 3, 7 again, and then 8 again (Table 2); the  
176 rates from these experts (range  $\varphi_{\text{Fall}} = 0.91\text{--}0.93$ ) were  $\geq 0.02$  units outside of the set of stationary  
177 rates for adult fall survival.



178 **Discussion.**

179           Despite the species exhibiting near stationary dynamics (1.4% mean annual increase;  
180 95% CI = -2.8, +5.7%) for the 20 years prior to the onset of white-nose syndrome (Thogmartin et  
181 al. 2012b), the experts did not describe demographic characteristics capable of sustaining this  
182 species. Rather, their demographic estimates characterized a quickly declining population,  
183 perhaps the one leading to the listing of this species as Endangered under the Endangered  
184 Species Act. Indiana bat population size declined from millions in the 19<sup>th</sup> century to ca. 880,000  
185 in the 1960/1970 era to 680,000 by 1980 (Clawson 2002, USFWS 2007). These historical rates  
186 of decline between the 1960s and the 1980s appear to vary between 1.2% and 3.0% per year. The  
187 experts generally well over-estimated this pattern in decline, however, providing parameter  
188 estimates suggesting a population decline of 11% per year.

189           Boyles et al. (2007, table 1) provided a re-analysis of annual survival data from work first  
190 published by Humphrey and Cope (1977). Based upon a Cormack-Jolly-Seber analysis, they  
191 estimated annual survival (proportion surviving through the season) to vary between 0.23 and  
192 0.65 for Indiana bats in Wyandotte Cave, Indiana, between winters 1952/1953 to 1969/1970; our  
193 set of experts provided seasonal survival estimates, when integrated to annual survival estimates  
194 (Table 2), that generally exceeded these values – but which were still insufficient for maintaining  
195 stationary abundance. Indiana bats in Wyandotte Cave have been increasing since 1983  
196 (Thogmartin et al. 2012b), an increase not possible given the survival estimates provided by  
197 Boyles et al. (2007) nor by the experts unless there was a dramatic and sustained influx of bats  
198 from surrounding hibernacula. The experts may have been trying to reconcile what they knew  
199 from the literature and survey data to explain this observed demography. These two sources of  
200 information likely helped the experts to bracket their estimates but absent robust estimation of

201 recent patterns in demography from beyond that of Wyandotte Cave, this bracketing of estimates  
202 was insufficient for describing current species-wide patterns in Indiana bat demography.

203         These biases in the expert estimates also led to a biased understanding of Indiana bat life  
204 history. The expert-derived estimate of mean life span (~2.9 years) was similar to the age-0 life  
205 expectancy reported in a U.S. Fish and Wildlife Service biological assessment (2.993 years)  
206 (U.S. Fish and Wildlife Service 2000). However, this lifespan is nearly half of the model-based  
207 estimate we derived for a stationary population (5.7 years).

208         We believe there are at least a couple reasons for the experts' biased view of species  
209 demography. Most population-level information for hibernating Indiana bats is derived from  
210 counts at the hibernaculum (e.g., Clawson 2002, Crimmins et al. 2014). Our research indicates  
211 these hibernacula are typically only one patch in a population of interacting patches (Thogmartin  
212 et al. 2012b). But, because surveys at hibernacula are intermittently conducted and statistical  
213 methods for analyzing these data were heretofore naïve (they fail to accommodate inter-  
214 hibernacula movement, for instance), gaining a species-wide perspective in such a vacuum of  
215 coherent information is difficult (Thogmartin et al. 2012b). Further, fluctuations in abundance  
216 among hibernacula only serve to obfuscate regional patterns in demography. Lastly, the longer-  
217 term historical context of the Indiana bat, based upon the presumption that Indiana bats once  
218 numbered in the millions (e.g., Tuttle 1997, USFWS 2007), likely also biased experts against  
219 providing estimates relevant to the period immediately prior to onset of white-nose syndrome.

220         Spatially limited or historically distant population dynamics can lead to misleading  
221 estimates for recent species-wide conditions; coupled with a relatively sparse literature  
222 describing demography of Myotid bats, including Indiana bats, the few sources of information

223 that do exist are likely over-emphasized by experts when forming their opinion about  
224 demographic estimates. Some of the most important research on characteristics of Indiana bat  
225 demography took place during the 1950s, 1960s, and 1970s (e.g., Easterla and Watkins 1969,  
226 Humphrey and Cope 1977, Humphrey et al. 1977, Clawson et al. 1980), during which the species  
227 was declining by as much as 3% per year. We suspect that the expert perspective of Indiana bat  
228 demography was strongly influenced by this literature published during the period of the species'  
229 decline rather than the experts' knowledge of recent population status and trends.

### 230 **Conclusions.**

231 Expert estimates are sometimes essential for understanding ecological systems, and many  
232 times are the only information available, but the dynamics of wildly fluctuating species such as  
233 bats demand an understanding of their status and context before they can be used successfully.  
234 Although previously understood, the importance of providing or discerning the context in which  
235 experts form their opinion cannot be overemphasized. Were we to use the expert estimates  
236 without understanding their underlying context, we would have trained our models to a rapidly  
237 declining demography that was not symptomatic of recent demographic behavior. Through  
238 iterative feedback among the modelers and the experts, we were able to reconcile and understand  
239 differences among the experts, past and present population trends, and the published literature.

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Table 1. Definition of parameters for demographic model of single hibernaculum Indiana bats.

Parameter	Definition	Pup	F <sub>J</sub>	F <sub>A</sub>	N <sub>J</sub>	R <sub>J</sub>	N <sub>A</sub>	R <sub>A</sub>
$\varphi^W$	Survival from hibernation to emergence from hibernaculum		$\varphi^W_{FJ}$	$\varphi^W_{FA}$				
$\varphi^S$	Survival from emergence to hibernation				$\varphi^S_{N}$		$\varphi^S_{N}$	
$\varphi^S$	Survival from emergence to parturition					$\varphi^S_{RJ}$		$\varphi^S_{RA}$
$\varphi^F$	Survival from parturition (or birth) to hibernation	$\varphi^F_P$				$\varphi^F_{RJ}$		$\varphi^F_{RA}$
b	Reproductive rate: proportion of pregnant females giving birth to one offspring					b <sub>J</sub>		b <sub>A</sub>
p	Propensity to reproduce: proportion of females becoming pregnant		p <sub>J</sub>	p <sub>A</sub>				
T <sup>S</sup>	Spring Take: number of animal killed during late winter until parturition (includes late winter take, take during spring migration and pre-reproductive take)		T <sup>S</sup> <sub>J</sub>	T <sup>S</sup> <sub>A</sub>				
T <sup>F</sup>	Fall Take: number of animals killed on fall migration until hibernation (includes fall migration, swarming, and early winter)				T <sup>F</sup> <sub>N</sub>	T <sup>F</sup> <sub>R</sub>	T <sup>F</sup> <sub>N</sub>	T <sup>F</sup> <sub>R</sub>
T <sup>P</sup>	Pup Take includes take of pups without concurrent take of the mother.	T <sup>P</sup>						



Table 2. Expert-estimated parameter values for demographic model of Indiana bat population dynamics, with maximum, minimum, and average of the expert set. Derived parameters (annual survival rate, proportion alive) follow the expert set. Characteristics of the parameter values at a stationary population dynamic are provided for reference (estimates outside of the range of stationarity are bold, blue for above and red for below).

Parameter	Expert	1	2	3	4	5	6	7	8	9	10	11	12	Stationarity (95% CI)
Adult $\varphi_{\text{Winter}}$		0.980	<b>0.850</b>	0.950	0.930	0.950	0.932	0.960	0.932	0.932	0.932	<b>0.875</b>	0.932	0.945 (0.89,0.98)
Juvenile $\varphi_{\text{Winter}}$		0.950	0.800	0.900	0.850	0.950	0.890	<b>0.960</b>	0.890	0.890	0.890	<b>0.500</b>	<b>0.663</b>	0.842 (0.67,0.95)
Non-reproductive $\varphi_{\text{Summer\&Fall}}$		0.850	0.900	<b>0.930</b>	0.800	<b>0.700</b>	0.850	0.920	0.825	0.836	0.836	0.875	0.836	0.852 (0.75,0.92)
Adult $\varphi_{\text{Summer}}$		<b>0.800</b>	0.950	0.900	<b>0.820</b>	<b>0.750</b>	<b>0.844</b>	0.915	0.925	<b>0.844</b>	<b>0.844</b>	<b>0.844</b>	<b>0.844</b>	0.915 (0.88,0.95)
Juvenile $\varphi_{\text{Summer}}$		0.780	0.800	0.800	0.750	<b>0.700</b>	<b>0.925</b>	0.820	0.900	0.766	0.766	0.875	0.766	0.817 (0.73,0.91)
Adult $\varphi_{\text{Fall}}$		0.950	<b>0.900</b>	<b>0.930</b>	0.950	<b>0.900</b>	<b>0.926</b>	<b>0.910</b>	<b>0.926</b>	<b>0.926</b>	<b>0.926</b>	0.998	<b>0.926</b>	0.98 (0.95,0.997)
Juvenile $\varphi_{\text{Fall}}$		<b>0.950</b>	0.900	0.830	<b>0.950</b>	0.800	0.886	0.845	0.886	0.886	0.886	<b>0.500</b>	0.886	0.825 (0.64,0.94)
Pup $\varphi_{\text{Fall}}$		<b>0.500</b>	<b>0.500</b>	<b>0.500</b>	0.600	0.600	0.650	0.558	0.540	0.540	0.540	0.875	0.540	0.657 (0.53,0.82)
Adult Breed Propensity ( $\rho$ )		0.850	0.950	<b>0.650</b>	0.940	0.850	0.848	<b>0.975</b>	0.875	0.848	0.848	0.848	0.848	0.877 (0.76,0.97)
Juvenile Breeding Propensity		0.400	0.800	<b>0.100</b>	0.750	0.500	0.750	0.806	0.510	0.510	0.510	0.510	0.510	0.487 (0.16,0.79)
Adult Breeding Success ( $b$ )		0.800	0.950	0.950	0.900	0.880	0.896	0.975	<b>0.731</b>	0.896	0.896	0.896	0.896	0.888 (0.79,0.97)

Juvenile Breeding Success	<b>0.700</b>	0.850	<b>0.900</b>	0.850	0.800	0.750	0.806	0.820	0.820	0.820	0.820	0.820	0.801 (0.71,0.88)
Reproductive Adult Annual $\varphi$	0.745	0.727	0.795	0.724	0.641	0.728	0.799	0.798	0.728	0.728	0.737	0.726	0.867
$(\varphi_{\text{Winter}} \times \varphi_{\text{Summer}} \times \varphi_{\text{Fall}})$													
Non-repro. Adult Annual $\varphi$	0.791	0.689	0.822	0.707	0.599	0.734	0.804	0.712	0.721	0.721	0.764	0.721	0.834
Repro. Juvenile Annual $\varphi$	0.704	0.576	0.598	0.606	0.532	0.729	0.665	0.710	0.604	0.604	0.219	0.603	0.697
Non-repro. Juvenile Annu. $\varphi$	0.767	0.648	0.695	0.646	0.532	0.670	0.746	0.651	0.659	0.659	0.219	0.658	0.729
Adult Reproduction ( $p \times b$ )	0.680	0.903	0.618	0.846	0.748	0.760	0.950	0.640	0.760	0.760	0.760	0.759	0.586
Juvenile Reproduction	0.280	0.680	0.090	0.638	0.400	0.563	0.650	0.418	0.418	0.418	0.418	0.418	0.150
Proportion alive at 14 years	0.008	0.005	0.018	0.006	0.001	0.007	0.023	0.019	0.006	0.006	0.004	0.006	0.072
Proportion alive at 4 years	0.159	0.124	0.175	0.147	0.084	0.168	0.213	0.179	0.138	0.138	0.077	0.136	0.259

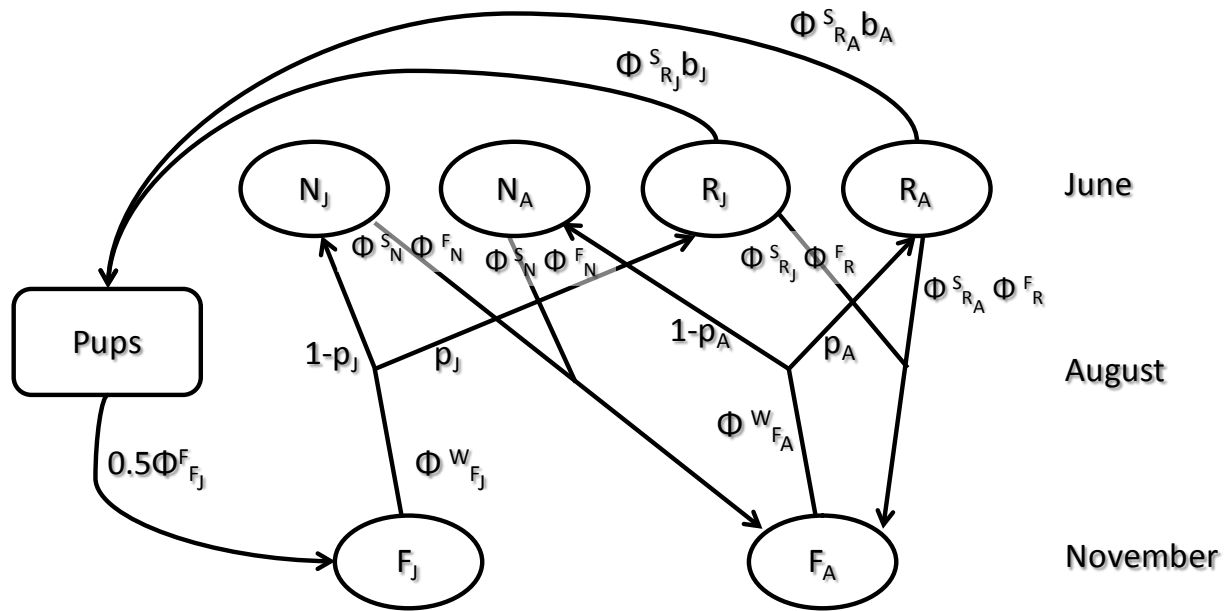


Figure 1. Schematic life-cycle diagram for the Indiana bat population model, female segment only and without spatial structure.

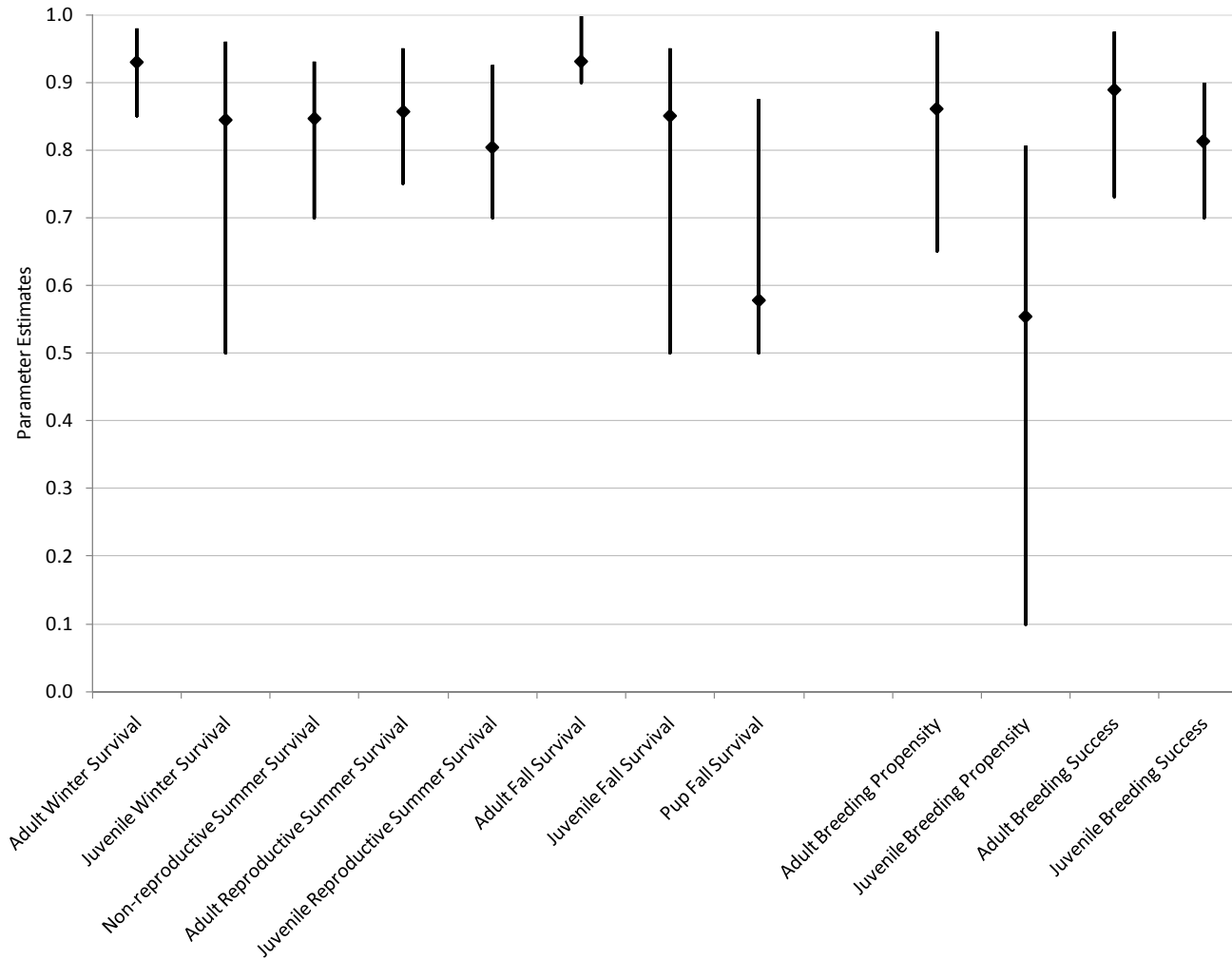


Figure 2. Mean estimates (and range) for parameterizing an Indiana bat demographic model.

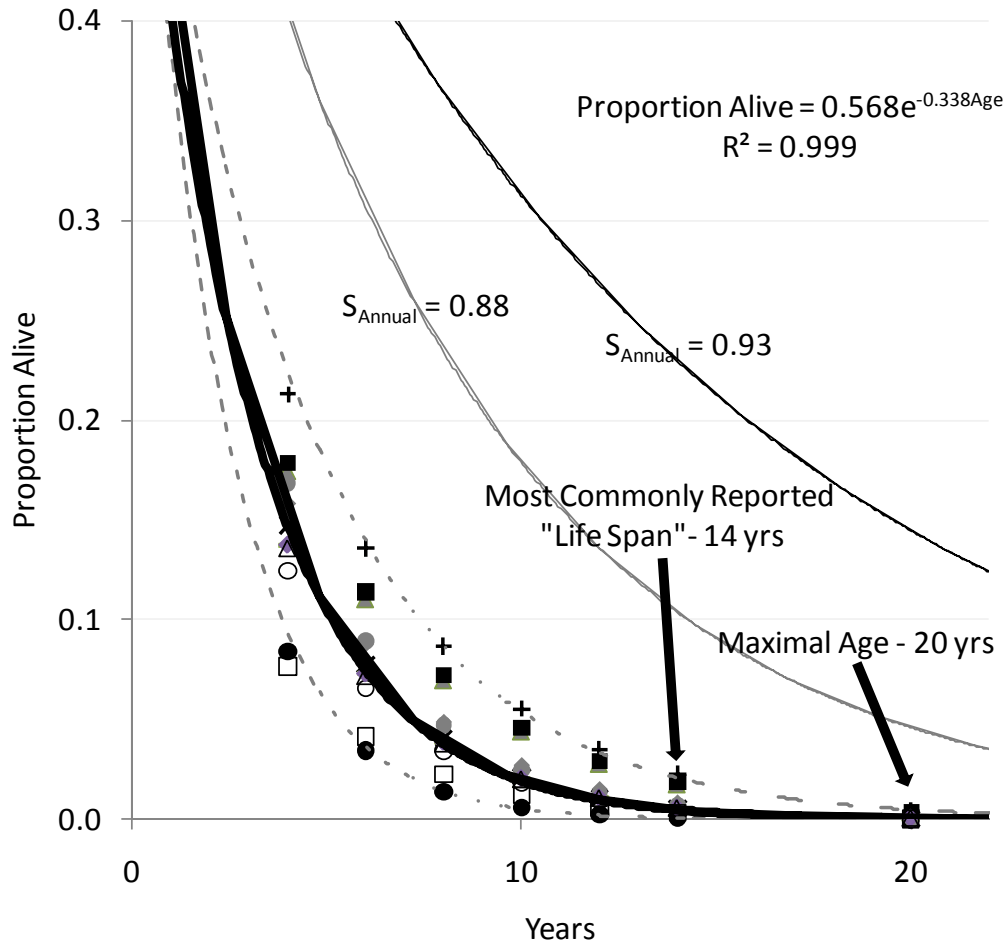


Figure 3. Estimated proportion alive at yearly intervals according to each of the 12 expert estimates for survival (range of expert estimated  $\phi = 0.644\text{--}0.799$ ). Annual survival estimates of 0.88 and 0.93 are provided for reference; both of these estimates are above the expert estimates, and are what would be required for Indiana bat populations to consistently increase in size.

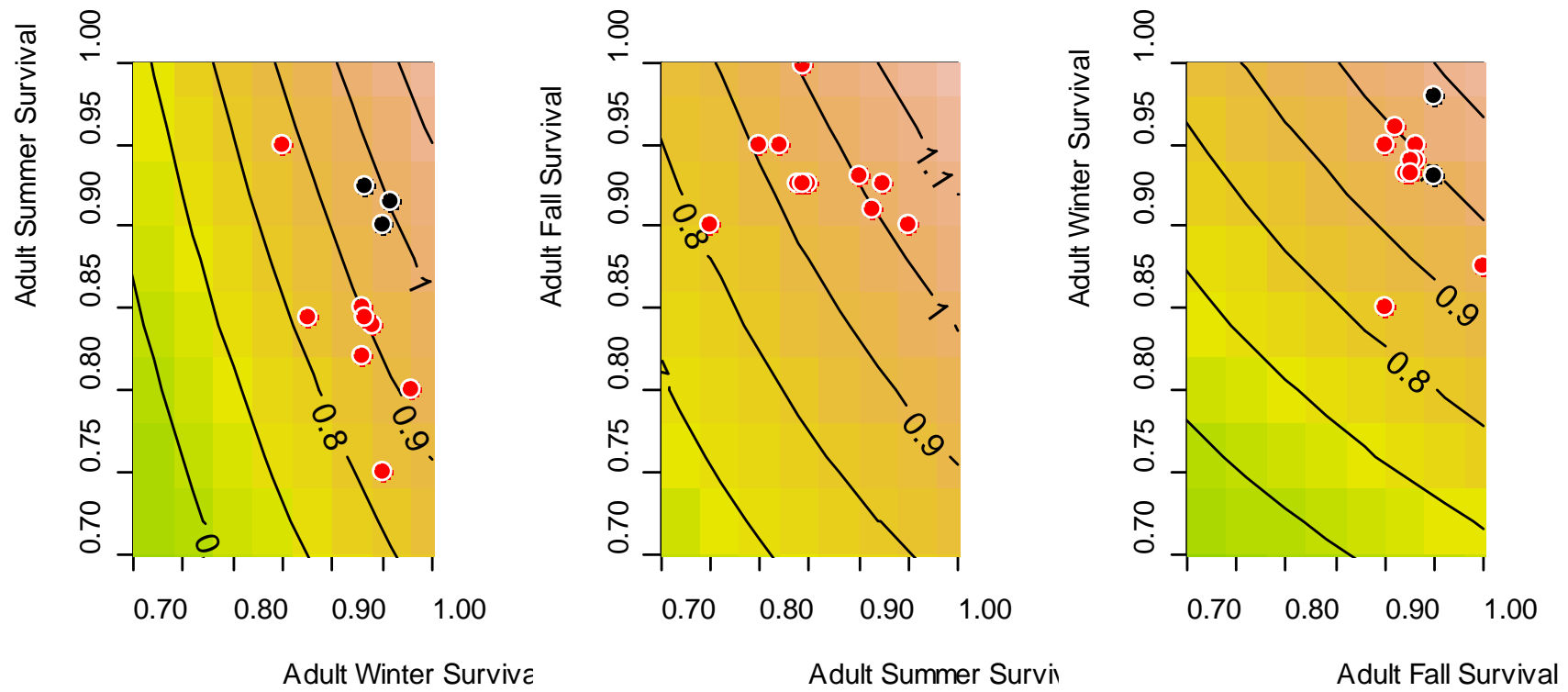


Figure 4. Bivariate contour plots relating the demographic parameters most sensitive to determining population rate of change ( $\lambda$ ) from a two-stage matrix model of Indiana bat population demography. The black dots indicate set of expert estimates yielding stationary population dynamics; red dots indicate set of expert estimates indicative of non-stationary dynamics.

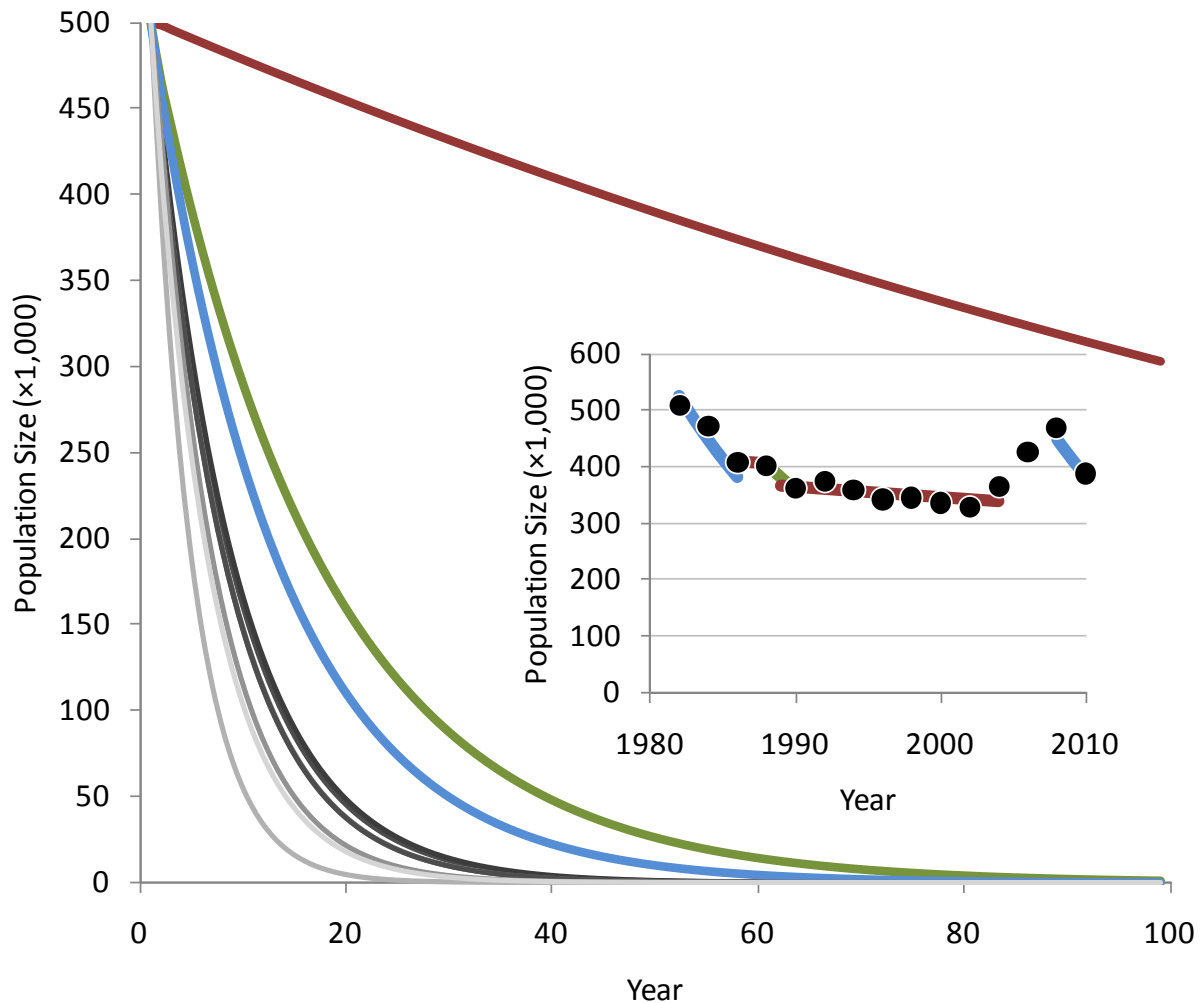


Figure 5. Deterministic projections of population size, starting at 500,000, based on the combination of parameter estimates provided by each of the 12 experts. The inset is historical counts of Indiana bat range-wide population size drawn over best-fitting expert estimates. Colors in the inset match the corresponding deterministic projection.

Appendix A. Follow-up expert elicitation, submitted to an additional set of 20 experts

Over the past year, US Geological Survey and US Fish and Wildlife Service scientists and biologists have been developing a demographic model for Indiana bats. This model is to help inform the US Fish and Wildlife Service about the potential impact of various perturbations to the population (particularly white-nose syndrome). This model is a multi-stage matrix model following adult and juvenile females through their annual life cycle (see Figure A.1 for a schematic of the modeling process).

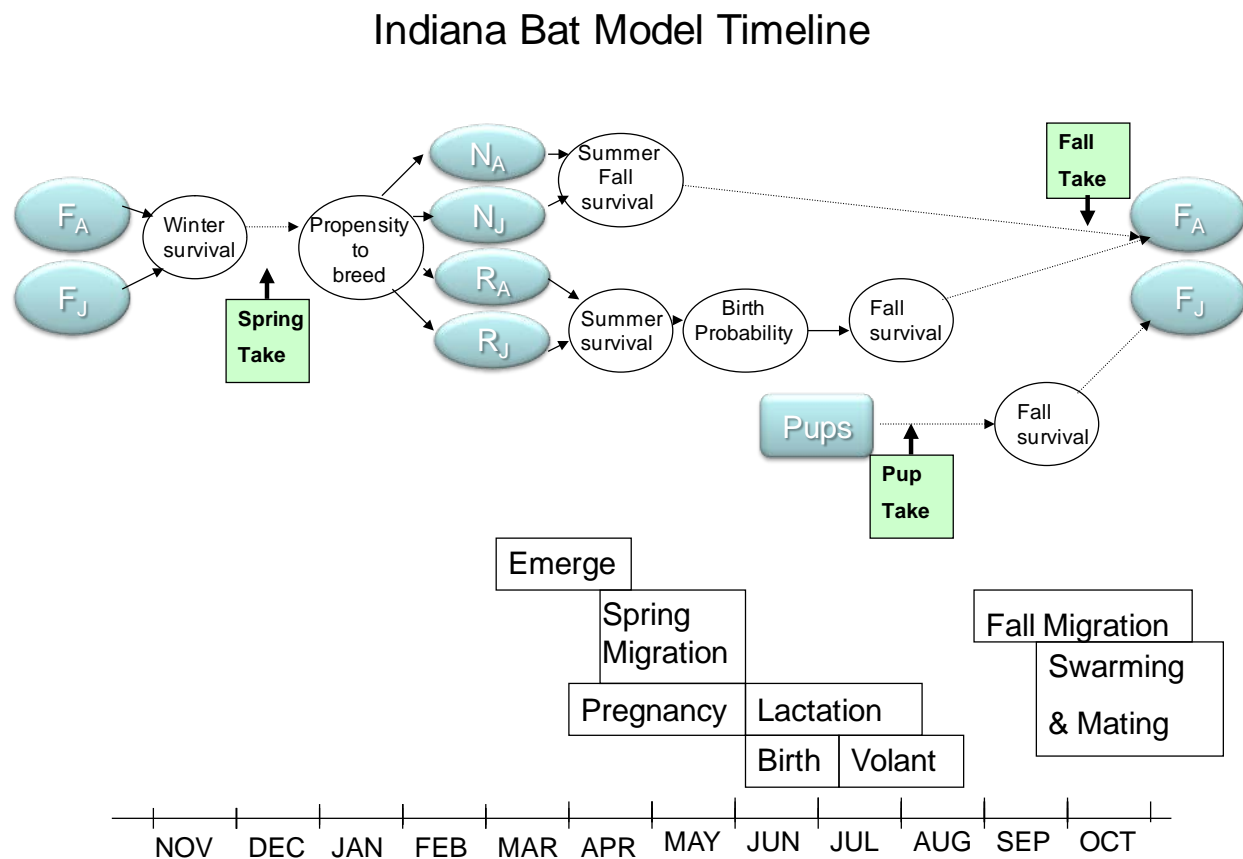


Figure A.1. A conceptual diagram of the timing of varying demographic activities.  $F_A$  denotes adult females,  $F_J$ , juvenile females,  $N_A$ , non-reproductive adult females,  $N_J$ , non-reproductive



juvenile females,  $R_a$ , reproductive adult females,  $R_j$ , reproductive juvenile females and pups, which are young of year.

We model only females. The model possesses three age classes, adults (individuals beyond their first year of life), juveniles (individuals experiencing their first period of hibernation), and, in fall only, pups (young-of-the-year, prior to hibernation). For female bats to move from one stage to another (e.g., from winter to spring) the population incurs an age-specific survival rate. These seasonal measures of survival are multiplicatively related to form an annual survival rate (probability of winter survival  $\times$  probability of summer survival  $\times$  probability of fall survival). For females entering the breeding period, they exhibit an age-specific propensity to breed and, for those that breed, a probability of successful birthing. The number of pups born each year is a function of the number of individuals in a population and age-specific reproductive parameters ( $n$  individuals  $\times$  probability of breeding  $\times$  probability of successful breeding); we assumed a 50:50 sex ratio.

Because little is known about Indiana bat demography, we convened a small panel of experts to provide initial estimates for these survival and breeding parameter (Table A.1, Figure A.1). Experts were instructed to provide range-wide estimates (rather than estimates specific to their region or state). Further, estimates were to be based on pre-WNS demographics. These experts used their knowledge of available literature (e.g., Humphrey and Cope 1977, Boyles et al. 2007) and general understanding of bat demography to provide these estimates. From the expert-elicited parameters, we determined, for instance, that the maximal annual survival rate for adult females was 0.88 (i.e.,  $0.98$  [winter]  $\times$   $0.95$  [fall]  $\times$   $0.95$  [summer]). The minimal annual survival for adult reproductive females was 0.574 ( $0.85 \times 0.75 \times 0.90$ ). For juvenile reproductive females, the minimum survival rate was 0.448 ( $0.80 \times 0.70 \times 0.80$ ). The maximal probability of

producing a pup was 0.90 for adult females and 0.72 for juvenile females, whereas the minimal probability of producing a pup was 0.52 for adult females and 0.07 for juvenile females.

The question we face now is whether these parameter estimates reasonably characterize the expected demography of a general population of Indiana bats, prior to the onset of white-nose syndrome. We would appreciate your perusal of these estimates (Table B.1) and any input and comments you may have on the validity of these estimates (please complete Table B.2). If you wish to provide estimates for these various parameters, we would much value including them within our pool. Please complete the table and return to Wayne Thogmartin ([wthogmartin@usgs.gov](mailto:wthogmartin@usgs.gov)) no later than 24 September. If you have any questions regarding this exercise, please contact Wayne Thogmartin ([wthogmartin@usgs.gov](mailto:wthogmartin@usgs.gov); 608-781-6309) or Carol Sanders-Reed ([carolsr@swcp.com](mailto:carolsr@swcp.com); 505-281-4126).

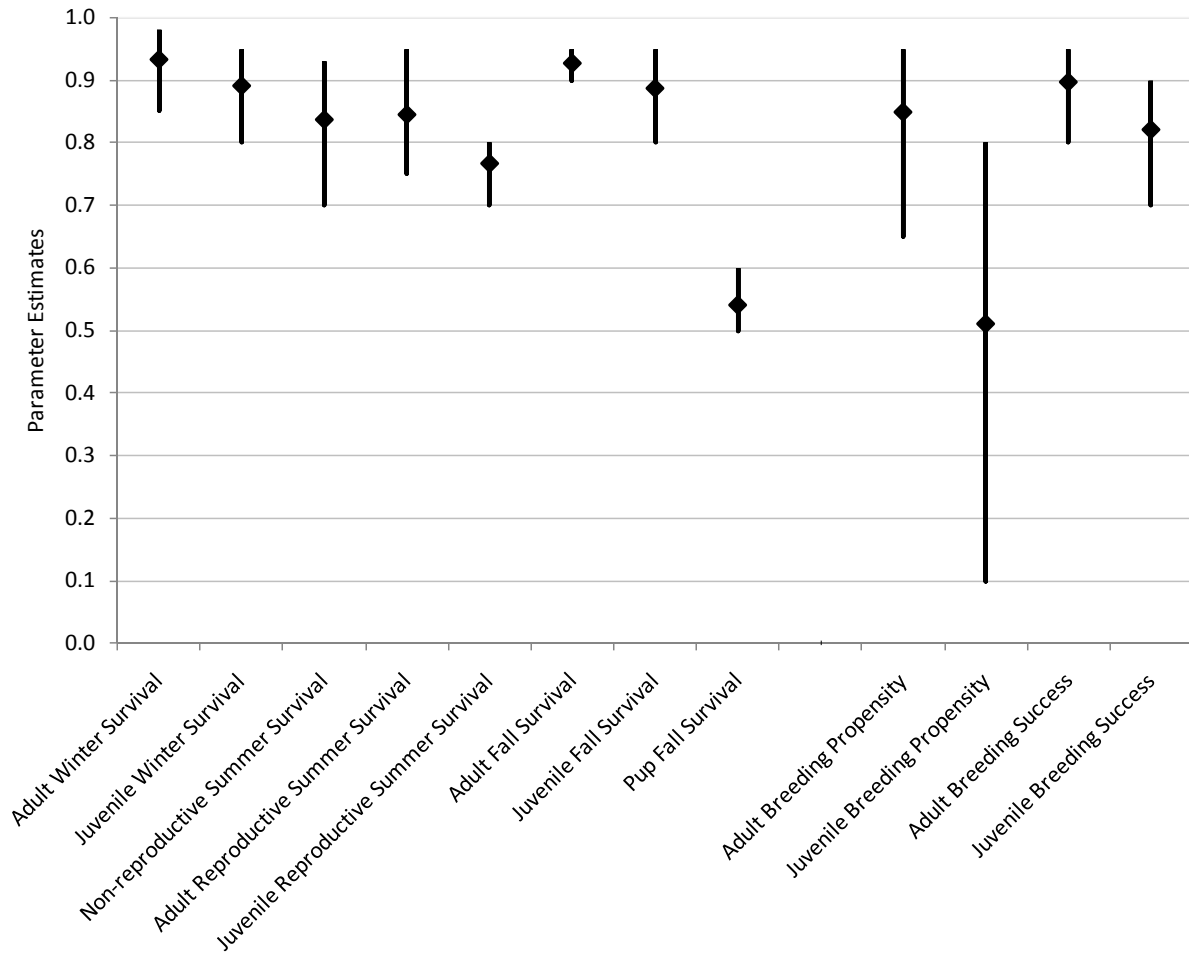


Figure A.2. A graphical depiction of the range among the individual rates as provided by the initial expert panel. The range of values for each of the parameters reflects the magnitude of agreement between experts; for instance, all of the experts we polled believed adult winter survival was generally high. However, there was greater uncertainty for the probability of a juvenile to breed; some believed the probability of juveniles breeding in their first year was low (0.1) whereas others believed as many as 80% bred annually.

Table A.1. Put a checkmark in the “valid interval” column if the interval seems reasonable. Feel free to provide comments on your rationale for assessing the interval. If you have a belief about the appropriate minimum, mean, or maximum parameter estimate, please feel free to provide that as well.

Stage	Rate	Expert-derived Range		Valid	Your Estimate		
		Min	Max	Interval (√)	Min	Mean	Max
Adult Reproductive female	Winter	0.85	0.98				
	Fall	0.90	0.95				
	Summer	0.75	0.95				
	Implied yearly survival	0.57	0.88				
Juvenile Reproductive Female	Winter	0.80	0.95				
	Fall	0.80	0.95				
	Summer	0.70	0.80				
Adult Non-reproductive female	Implied yearly survival	0.45	0.72				
	Winter	0.85	0.98				
Juvenile Non-reproductive female	Summer / Fall	0.70	0.93				
	Implied yearly survival	0.60	0.91				
	Winter	0.80	0.95				
Pup	Summer / Fall	0.70	0.93				
	Implied yearly survival	0.56	0.88				
Adult Reproductive female	Fall	0.50	0.60				
	Propensity to breed	0.65	0.95				
	Prob. of successful birth	0.80	0.95				
	Implied yearly birth rate	0.52	0.90				

	Propensity to breed	0.10	0.80				
Juvenile	Prob. of successful						
Reproductive	birth	0.70	0.90				
Female	Implied yearly birth						
	rate	0.07	0.72				

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Appendix B. Changes to the expert-estimated parameter estimates for a stage-based matrix model of Indiana bat demography as the sample of experts increased from 5 to 12.

Stage	$\Delta$ Minimum	$\Delta$ Maximum	$\Delta$ Mean
Adult Winter Survival	0.000	0.000	-0.002
Juvenile Winter Survival	-0.300	0.010	-0.046
Non-reproductive Summer Survival	0.000	0.000	0.011
Adult Reproductive Summer Survival	0.000	0.000	0.013
Juvenile Reproductive Summer Survival	0.000	0.125	0.038
Adult Fall Survival	0.000	0.048	0.005
Juvenile Fall Survival	-0.300	0.000	-0.036
Pup Fall Survival	0.000	0.275	0.039
Adult Winter Survival	0.000	0.000	-0.002
Juvenile Winter Survival	-0.300	0.010	-0.046
Non-reproductive Summer Survival	0.000	0.000	0.011
Adult Reproductive Summer Survival	0.000	0.000	0.013
Juvenile Reproductive Summer Survival	0.000	0.125	0.038

Annual Reproductive Adult Survival	0.000	0.004	0.013
Annual Non-Reproductive Adult Survival	-0.067	-0.062	-0.046
Annual Reproductive Juvenile Survival	-0.313	0.025	-0.007
Annual Non-Reproductive Juvenile Survival	-0.446	-0.116	-0.149
Adult Annual Reproduction	-0.003	0.050	0.005
Juvenile Annual Reproduction	0.000	0.000	0.031

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